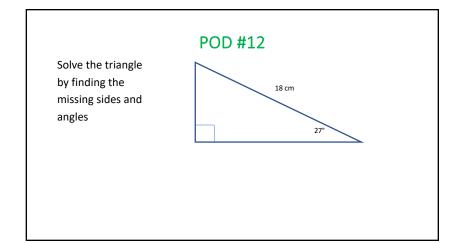


| Evaluate: | POD #11 | |
|---|----------------------------------|--|
| a. $3^{2} + (1 - 2)$ c. $8 + 4 * 3^{3}$ e. $\frac{(8+2)(14-4)}{10^{2}}$ | b. (9−4)−8+1 d. √144+10/(5-3) | |

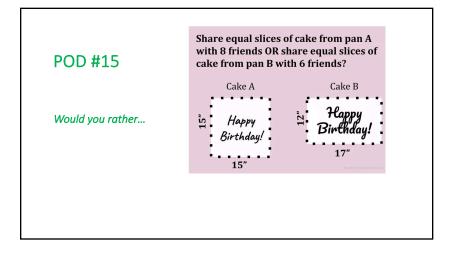


| Find the LCM of: | POD #13 Find the GCF of: | |
|------------------|-----------------------------|--|
| a. 2,6 | a. 8, 10 | |
| b. 7, 10 | b. 100, 15 | |
| c. 14, 35 | c. 32, 64 | |
| d. 8, 13 | d. 7, 18 | |
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POD **#14**

These statements are all false. Give a counterexample.

- a. A right triangle can never be isosceles.
- b. The square root of a number is always smaller than the number.
- c. Any whole number greater than one to any power, is greater than one.
- d. Two numbers cannot share more than one factor.



POD #16

These statements are all false. Give a counterexample.

- a. The sum of the interior measures of a quadrilateral is 360 degrees.
- b. If you divide both sides of an equation by the same number, they are still equal.
- c. The factors of a number are always the same as or smaller than the number itself.

Imagine we have a cup filled with some unknown ratio of orange and purple marbles. We select marbles one at a time with replacement and count how many orange and purple marbles we see to estimate this ratio.

What is the primary reason for replacing the marble after each selection?

- A To make sure each selection is independent
- **B** To make sure each selection is not independent
- C To try and confuse the person doing the selections

| Use addition to balance these numbers so both sides are equal – 56, 38, 24, 32, 21, 17, 40, 2, 16, 22. | POD #18 | at an answer of 126. You can use addition, subtraction, multiplication or division, but each number may only be | POD #19 |
|--|------------|---|------------|
| | | used once. | |
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